

# Break-even capital costs for energy storage participating in the CAISO day-ahead energy and ancillary service markets Pedro Barba, Raymond H. Byrne, Tu A. Nguyen Sandia National Laboratories, Albuquerque, NM.

Abstract – The break-even capital cost for a generic battery energy storage system (BESS) participating in the CAISO day-ahead energy and ancillary services market was obtained and analyzed for 2,065 nodes over a five year period (2018-2022).

### **Revenue optimization formulation:**

$$max \mathbf{J} = \sum_{t=1}^{T} \left[ P_t \cdot q_t^D - P_t \cdot q_t^C + \left( P_t^{RU} + \gamma_{ru} P_t \right) q_t^{RU} + \left( P_t^{RD} - \gamma_{rd} P_t \right) q_t^{RD} + \left( P_t^{NSP} + \alpha_t^{NSP} P_t \right) q_t^{NSP} + \left( P_t^{SP} + \alpha_t^{SP} P_t \right) q_t^{SP} \right]$$

### where

- $S_t$  is the state of charge at any time t,
- $q_t^C$  is the quantity of energy charged at time t,
- is the quantity of energy discharged at time t,
- is the quantity of energy discharged in the regulation down market at time t,
- is the quantity of energy charged in the regulation up market at time t,
- is the quantity of energy offered into the non-spinning reserve market at time t,

### The break-even cost formulation for each node:

The break-even capital cost for each node is obtained by first setting the NPV of the total cost equal to the NPV of the revenue streams for T years for each LMP node.

 $NPV\{revenue\} = NPV\{total cost\}$  $= CAP + NPV \{O\&M costs\}$ 

#### Such that:

### $0 \leq q_t^C + q_t^{RD} + q_t^D + q_t^{RU} + q_t^{NSP} + q_t^{SP} \leq \bar{q}$ $S_{min} + 2 \cdot q_t^{SP} + 2 \cdot q_t^{NSP} + 2 \cdot q^{RU} \le S_t \le \bar{S}_{max} - 2 \cdot q_t^{RD}$

$$S_t = \gamma_s S_{t-1} + \gamma_c q_t^C - q_t^D + \gamma_c \gamma_{rd} q_t^{RD} - \gamma_{ru} q_t^{RU} - \alpha_t^{NSP} \cdot q_t^{NSP} - \alpha_t^{SP} \cdot q_t^{SP}$$

### System parameters and case studies:

Value	Parameter
1	$P_{max}$ , maximum power rating (MW)
4	$\bar{S}$ , maximum state of charge (MWh)
1	$\bar{q}^C$ maximum quantity that can be
	bought/recharged in a period $t$ (MWh)
1	$\bar{q}^D$ maximum quantity that can be
	sold/discharged in a period $t$ (MWh)
1.0	$\gamma_s$ , storage efficiency (fraction)
0.85	$\gamma_c$ , conversion efficiency (fraction)
0.25	$\gamma_{rd}$ , regulation down efficiency (fraction)
0.25	$\gamma_{ru}$ , regulation up efficiency (fraction)
1	$\Delta t$ (hours)

- $q_t^{SP}$  is the quantity of energy offered into the spinning reserve market at time t,
- $\gamma_s$  is the storage efficiency,
- $\gamma_c$  is the conversion efficiency,
- $\gamma_{rd}$  is the regulation down efficiency,
- $\gamma_{ru}$  is the regulation up efficiency,
- is the non-spinning reserves selector per schedule (0 or 1),
- $\alpha^{SP}$  is the spinning reserves selector per schedule (0 or 1),
- $P_t$  is the price of electricity (LMP) at time t,
- $P_t^{RU}$  is the regulation up price of electricity at time t,
- $P_t^{RD}$  is the regulation down price of electricity at time t

Average yearly revenue for 2,065 CAISO nodes for the period 2018-2022 (thousands of dollars.)



The break-even capital cost for each node is:

$$\text{CAP} = \frac{\text{GAF}_{r,g}^T \times \text{REV}}{1 + k \times \text{AF}_r^T}$$









# $\mathbf{GAF}_{r,g}^{T} = \frac{1}{r-g} \cdot \left[ 1 - \left( \frac{1+g}{1+r} \right)^{T} \right]$

# Arbitrage

Break-even capital cost statistics for different values of IRR. Project lifetime of 15 years, and average annual revenue growth at 0, 3, and 6%.

Rev		IRR (%)			
Growth	\$/kWh	2.5	5	7.5	10
	mean	185	160	140	123
0%	median	182	157	137	121
	std. dev.	24	21	18	16
	mean	226	193	167	145
3 %	median	222	190	164	142
	std. dev.	29	25	21	19
	mean	279	236	201	172

IRR = 2.5%, 5%, 7.5%, 10%

Annual revenue growth rates (g) = 0%, 3%, 6% Project lifetimes (T) = 10 and 15 years k = 2%

### **Arbitrage and frequency regulation**

Break-even capital cost statistics for different values of IRR. Project lifetime of 15 years, and average annual revenue growth at 0, 3, and 6%.

Rev		IRR (%)			
Growth	\$/kWh	2.5	5	7.5	10
	mean	416	361	315	277
0 %	median	412	357	311	274
	std. dev.	13	11	10	8
	mean	509	435	375	326
3 %	median	504	431	371	323
	std. dev.	15	12	11	10
	mean	629	531	452	388
6 %	median	622	525	447	384
	std. dev.	19	16	14	12

## Arbitrage, frequency regulation, spinning, and non-spinning reserves

Break-even capital cost statistics for different values of IRR. Project lifetime of 15 years, and average annual revenue growth at 0, 3, and 6%.

Rev		<b>IRR</b> (%)			
Growth	\$/kWh	2.5	5	7.5	10
	mean	421	364	318	280
0 %	median	417	361	315	277
	std. dev.	13	11	10	8
	mean	515	440	379	330
3 %	median	510	436	376	327
	std. dev.	16	13	11	10
	mean	636	537	457	392
6 %	median	630	531	452	388
	std. dev.	19	16	14	12

#### mean 6 % 275 232 197 median 169 30 36 22 std. dev. 26

### **Conclusion:**

\$160.0K/year

In previous work we reported that, when using only arbitrage as a source of revenue, the capital cost for a BESS had to be reduced by 80% in order for the storage system to be profitable.

In this study we show that when adding ancillary services (frequency regulation, spinning, and nonspinning reserves) to arbitrage, we see a considerable increase in revenue (depending on annual revenue growth and IRR.)

Considering the current capital cost of \$493/kWh, we see that by adding ancillary services to the BESS revenue formulation, this cost can be reduced between 43% to 15% and in some cases the revenue is even higher than this capital cost, making the BESS profitable.

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