Demonstration of the ACE (Arctic Coastal Erosion) model at Drew Point, AK during a permafrost bluff block collapse event in summer 2018



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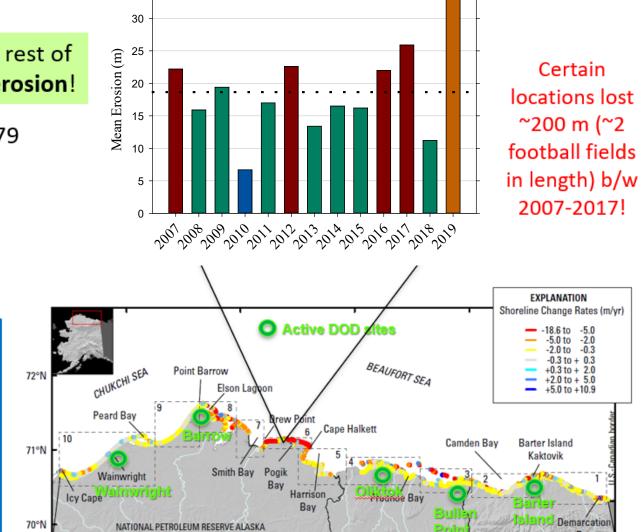
Motivation

The Arctic is warming at 2-3 times the rate of the rest of the U.S. resulting in accelerated rates of coastal erosion!

- Primary culprit is loss of Arctic sea ice: since 1979 sea ice has lost 51% in area and 75% in volume
 - Increasing ice-free season
 - Increasing wave energy and storm surge
 - Increasing sea water temperatures

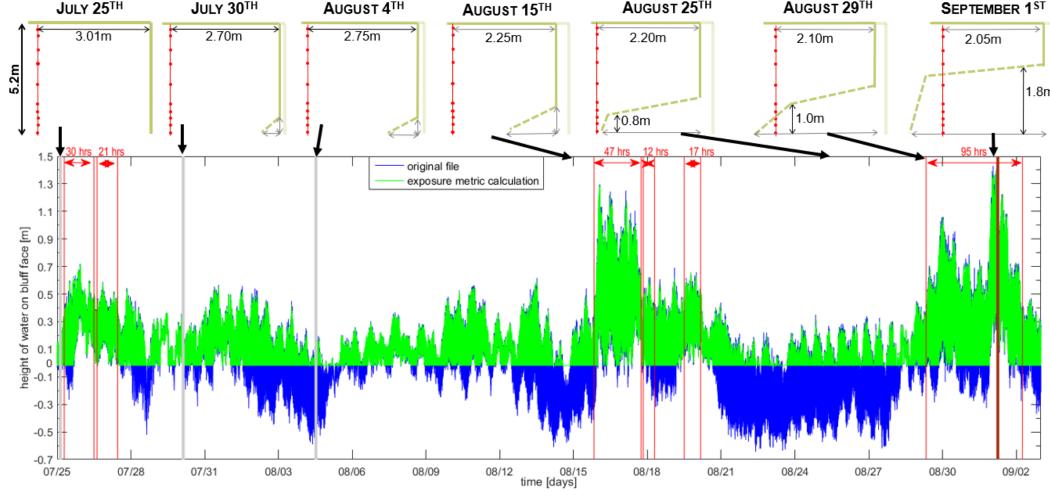
Erosion is threatening:

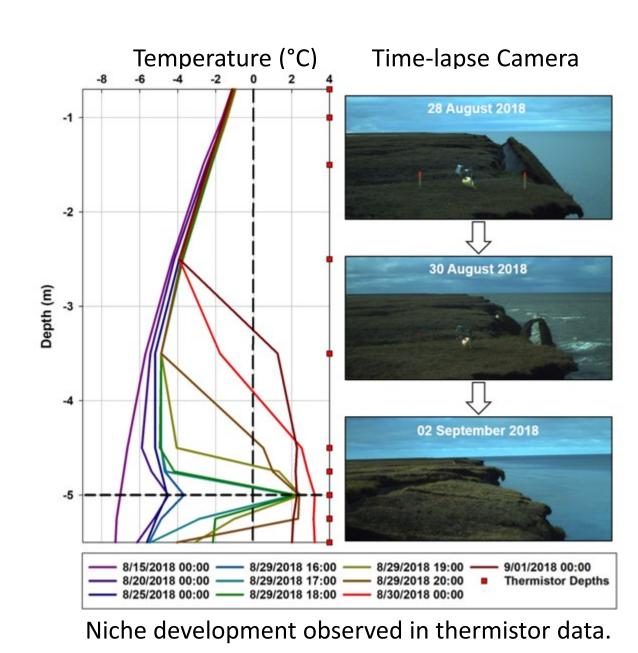
- Coastal communities: threatened with displacement
- Coastal infrastructure: active DoD sites. including toxic waste sites, in northern Alaska
- Global carbon balance: permafrost stores greenhouse gases (CO₂, CH₄, NO₂)

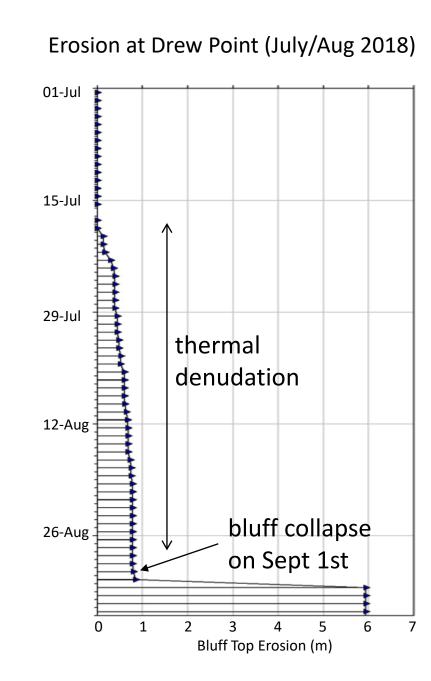


A demonstration of the ACE Model is presented here for a portion of the summer 2018 conditions at Drew Point, AK, during which a block collapse event was documented with thermistor data and time-lapse photography. We demonstrate that the ACE Model is capable of reproducing the observed erosion behavior, including niche formation/geometry, thermal denudation, and block collapse timing. This model can be used to rigorously investigate erosion drivers and how climate change will influence future erosion behavior at Drew Point, as well as typological assessment of erosion along the North Slope of Alaska to enable estimates of shoreline change at the coarse scale of Earth system models.

Validation Case







Block Collapse at Ice Wedge Surface

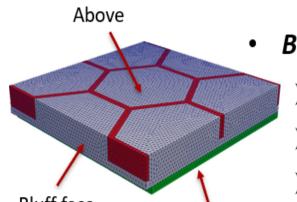
Thermal Model

• Transient heat conduction in a non-homogeneous porous media with water-ice phase change:

$$(\overline{\rho c_p} + \widetilde{\Theta}) \frac{\partial T}{\partial t} = \nabla \cdot (\mathbf{K} \cdot \nabla T)$$

where $\widetilde{\Theta} \coloneqq \rho_f L_f \frac{\partial f}{\partial T}$ incorporates phase changes through soil freezing curve, $\frac{\partial f}{\partial T}$.

> Computes temperature T and ice saturation f (needed by mechanical model)

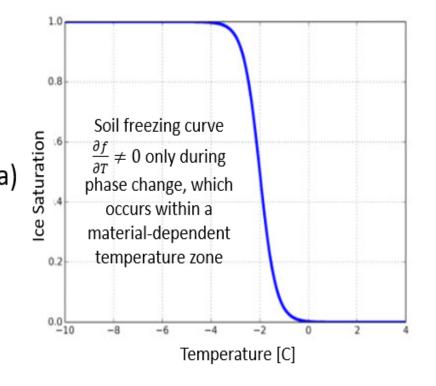


Block Collapse

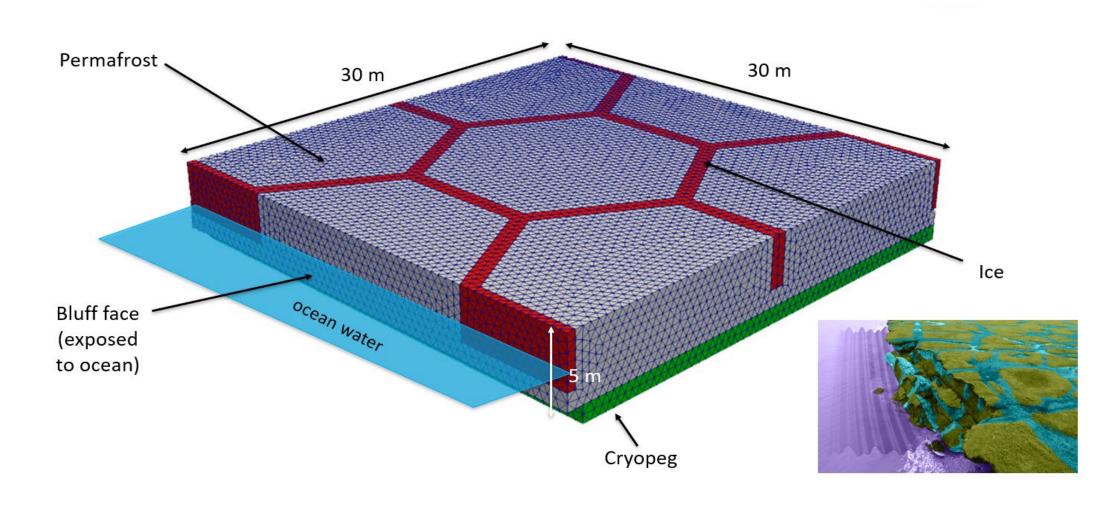
Timelapse |

- Boundary conditions (from wave model/data)
 - Local geothermal heat flux from below
 - Mean annual air temp from above
 - ➤ Air/ocean temp at bluff face

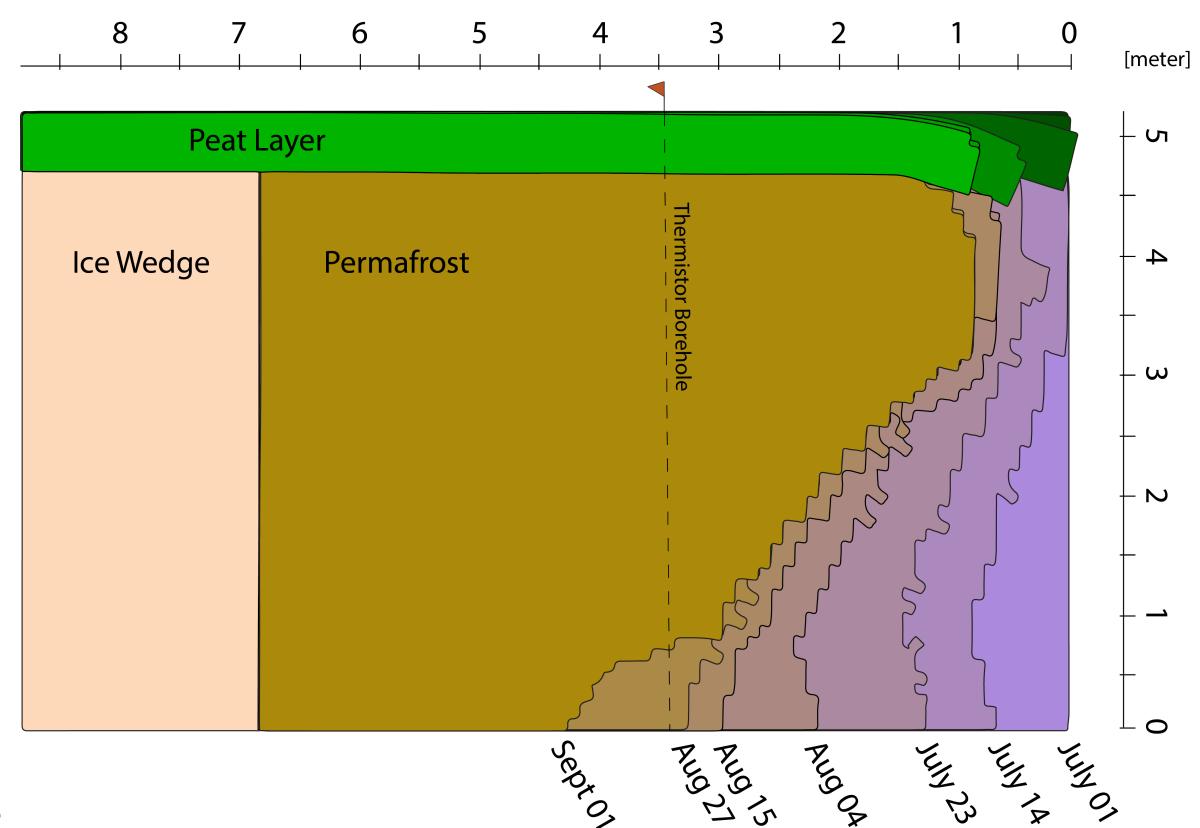
 $\bar{\rho}$: density from mixture model $\overline{c_n}$: specific heat from mixture model **K**: thermal diffusivity tensor ρ_f : ice density L_f : latent heat of water-ice phase change f: ice saturation (\in [0,1]) $\frac{\partial f}{\partial z}$: soil freezing curve (depends on salinity)



Anatomy of a canonical computational domain



ACE Simulation Results for 2.5D Slice



Mechanical Model

 Finite deformation time-dependent variational formulation for solid mechanics problem obtained by minimizing the energy functional:

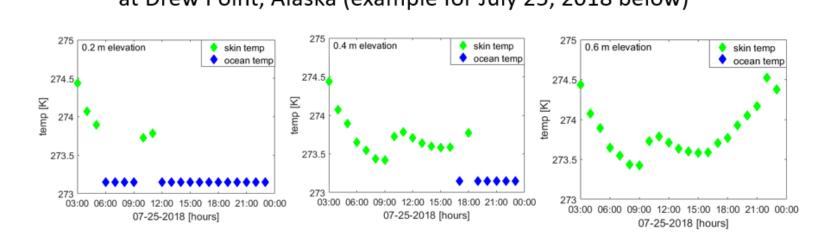
$$\Phi[\boldsymbol{\varphi}] := \int_{\Omega}^{\cdot} A(\boldsymbol{F}, \boldsymbol{Z}) \ dV - \int_{\Omega}^{\cdot} \rho \boldsymbol{B} \cdot \boldsymbol{\varphi} \ dV - \int_{\partial_{\boldsymbol{T}} \Omega}^{\cdot} \boldsymbol{T} \cdot \boldsymbol{\varphi} \ dS$$

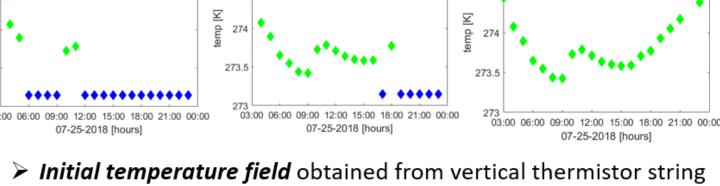
A(F, Z): Helmholtz free-energy density Z: material variables F: deformation gradient $(\nabla \varphi)$ **B**: body force T: prescribed traction

- Computes displacements and new computational geometry (following erosion)
- J₂ plasticity extended to large-deformation regime constitutive model for ice and permafrost
- > Incorporates all mechanisms that lead to deformation, plastic flow and creep of polycrystalline materials like ice
- ➤ Minimal calibration parameters
- > Simplest material model with plastic behavior
- Modified to be a function of ice saturation f and porosity
- Boundary conditions:
 - > Symmetry BCs on lateral sides
 - > Wave pressure Neumann BC on bluff face (from wave model).

2.5D Slice at Drew Point, Alaska

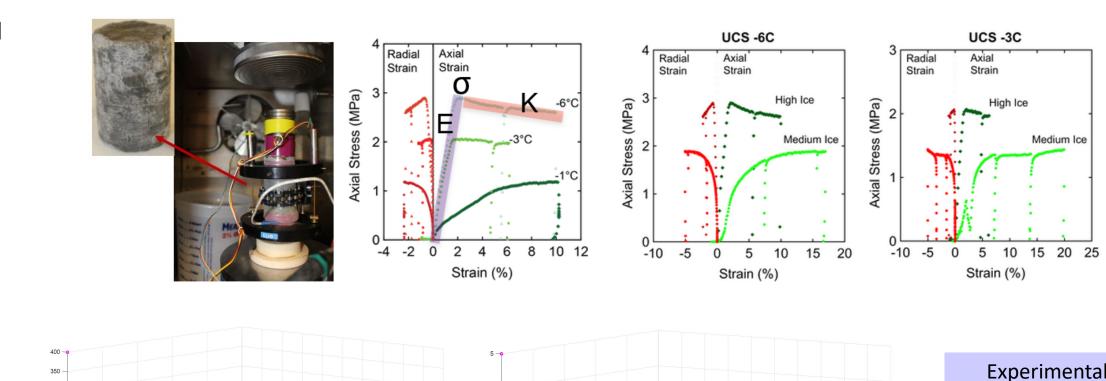
- Computational domain is **2.5D** cross-section of archetypal 3D bluff geometry discretized using a uniform hex grid.
 - Slice of permafrost is exposed to realistic BC data occurring at Drew Point, Alaska (example for July 25, 2018 below)

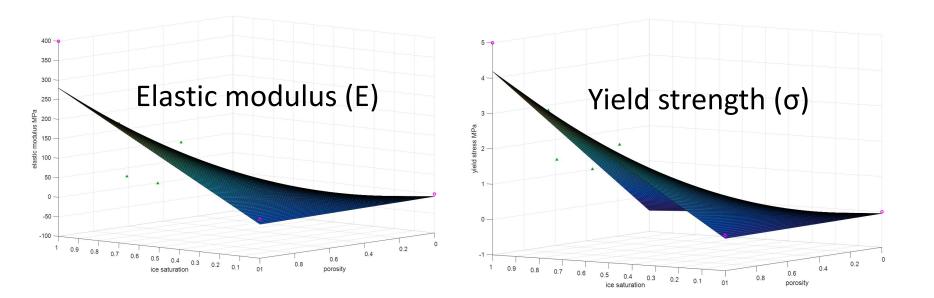


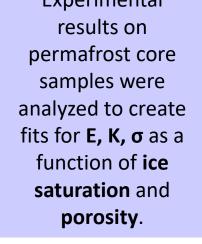


- placed into DP1-1 ice core at Drew Point • Material properties determined from laboratory experiments
- on frozen soil samples from Drew Point, Alaska
- Implicit Newmark for mechanical, explicit forward Euler for thermal (stable $\Delta t = 1$ hour)

Material Model Calibration to Experimental Data







For further information:

Frederick, J. M., A. Mota, I. Tezaur, and D. L. Bull (2021), A thermo-mechanical terrestrial model of Arctic coastal erosion, Journal of Computational and Applied Mathematics, Vol. 397, doi:10.1016/j.cam.2021.113533. Bull et al. (2020), Arctic Coastal Erosion: Modeling and Experimentation, SAND2020-10223, Sandia National Laboratories, Albuquerque, NM.





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